#### University of Mumbai Examination First Half 2022

## **Examinations Commencing from 3<sup>rd</sup> June 2022**

Program: Computer Engineering
Curriculum Scheme: Rev2019
Examination: SE Semester III

Course Code: CSC301 and Course Name: Engineering Mathematics-III

Time: 2hour 30 minutes

Max. Marks: 80

Q1.	Choose the correct option for following questions. All the Questions are compulsory and carry equal marks
1.	In the Fourier series of $f(x) = \sqrt{1 - \cos x}$ in $(0,2\pi)$ the value of $a_0$ is
Option	
A:	
Option	
B:	\$ 6 6 8 8 4 4 <del>4 1</del> 7 4 8 8 6 8 6 8 8 8 8 8 8 8 8 8 8 8 8 8 8
Option	
C:	
Option	$2\sqrt{2}$
D:	$\frac{1}{2}$
2.	The formula of complex form of Fourier series for function $f(x)$ in $(-l, l)$ is
Option A:	$\sum_{-\infty}^{\infty} C_n e^{inx}  \text{where } C_n = \frac{1}{2l} \int_{-l}^{l} f(x) e^{-in\pi x/l} \ dx$
Option B:	$\sum_{-\infty}^{\infty} C_n e^{in\pi x/l} \text{ where } C_n = \frac{1}{2l} \int_{-l}^{l} f(x) e^{-in\pi x/l} dx$
Option C:	$\sum_{-\infty}^{\infty} C_n e^{inx}  \text{where } C_n = \frac{1}{2l} \int_{-l}^{l} f(x) e^{-in\pi x/l}  dx$
Option D:	$\sum_{-\infty}^{\infty} C_n e^{ix}  \text{where } C_n = \frac{1}{2l} \int_{-l}^{l} f(x) e^{-in\pi x/l} dx$
25.00	
3.	Evaluate $\int_0^\infty e^{-3t} t^5 dt$
Option	
A:	$\frac{\overline{s}}{s}$
Option	$\frac{120}{2}$
<b>B</b> :	$\frac{s^6}{120}$
Option	
C;	729 60
Option	D'O'
<b>D</b> :	729
4. 8	If $f(z) = u + iv$ is analytic then
Option A:	u is harmonic but $v$ may or may not be harmonic.
Option B:	v is harmonic but $u$ may or may not be harmonic.
Option	u and $v$ both need not be harmonic.

C:	
Option	u and $v$ both harmonic.
D:	
5.	If $Var(X) = 4$ then $Var(3x+5)$ is
Option	12
A:	
Option	
B:	\$\delta \times \
Option	
C:	
Option	
D:	
6.	If V has the fallowing much shifter distribution
0.	If X has the following probability distribution
	X: 0 1 2 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5
	P(X=x): k 2k 5k
	Then the value of k is
0 1	
Option	
A:	£2888888224£574882786
Option	
B:	
Option	1/3
C:	
Option	1/8
D:	
D.	
7.	Find Inverse L.T. of $\frac{3}{9s^2-16}$ .
Option	2 6 0 2 4 5 5 7 7 7 7 7 1 U & 3 1 V 1 U &
A:	$\frac{1}{4}\sinh\left(\frac{3\tau}{4}\right)$
-	
Option	$\frac{1}{4}\sin\left(\frac{3t}{4}\right)$
B:	
Option	$\frac{1}{2}$
C:	$\frac{1}{4} \sinh\left(\frac{\pi}{3}\right)$
Option	(4t)
D: \( \times \)	$\frac{1}{4}\sin\left(\frac{4t}{3}\right)$
- 500 S	
8.	
TO VE	$L^{-1}\begin{bmatrix} 1\\s(s+4)\end{bmatrix}$ is
Option	
A:	$\frac{1}{2}(e^{-4t}-1)$
	F
Option	$\frac{\frac{1}{4}(e^{-4t} - 1)}{\frac{1}{4}(1 - e^{-4t})}$ $(e^{-4t} - 1)$
<b>B</b> :	$\frac{1}{4}(1-e^{-\alpha})$
Option	(a-4t-1)
	(e - 1)
C:0	1
Option	$\frac{1}{4}(e^{-4t}+1)$
D. D.	$\frac{1}{4}$ $\frac{1}{4}$ $\frac{1}{4}$
5/4/20	5 \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$
9.	Find the Leaders transforms of sint
	Find the Laplace transform of $\frac{sint}{t}$
De la	

Option	$cot^{-1}s$
A:	
Option	$\cot^{-1}t$
B:	
Option	$tan^{-1}s$
C:	\$\$\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\
Option	$tan^{-1}t$
D:	\$\$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$
	\$\$\$\$\$\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\
10.	Find $L[(sin3t)(sin5t)]$
Option	1 [ s . C 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2
Option A:	
A:	$ \frac{1}{2} \left[ \frac{s}{s^2 + 4} + \frac{1}{s^2 + 64} \right] $ $ \frac{1}{5} \left[ \frac{s}{s^2 + 4} + \frac{1}{s^2 + 64} \right] $
A: Option B:	$\frac{1}{2} \left[ \frac{s}{s^2 + 4} + \frac{1}{s^2 + 64} \right]$ $1 \left[ \begin{array}{ccc} s & 1 & 1 \\ s & 1 & 1 \end{array} \right]$
A: Option	$ \frac{1}{2} \left[ \frac{s}{s^2 + 4} + \frac{1}{s^2 + 64} \right] $ $ \frac{1}{2} \left[ \frac{s}{s^2 - 4} - \frac{1}{s^2 - 64} \right] $
A: Option B: Option	$ \frac{1}{2} \left[ \frac{s}{s^2 + 4} + \frac{1}{s^2 + 64} \right] $ $ \frac{1}{2} \left[ \frac{s}{s^2 - 4} - \frac{1}{s^2 - 64} \right] $ $ \frac{1}{2} \left[ \frac{s}{s^2 - 4} - \frac{1}{s^2 - 64} \right] $
A: Option B: Option C:	$ \frac{1}{2} \left[ \frac{s}{s^2 + 4} + \frac{1}{s^2 + 64} \right] $ $ \frac{1}{2} \left[ \frac{s}{s^2 - 4} - \frac{1}{s^2 - 64} \right] $ $ \frac{1}{2} \left[ \frac{s}{s^2 - 4} - \frac{s}{s^2 - 64} \right] $

Q2	Solve any Four out of Six 5 marks each		
A	If $L\{\sin \sqrt{t}\}=\frac{\sqrt{\pi}}{2s\sqrt{s}}e^{-1/(4s)}$ , find $L\{\sin 2\sqrt{t}\}$ .		
В	If $v = 3x^2y + 6xy - y^3$ , show that $v$ is harmonic function and find the corresponding analytic function.		
C	If the mean of the following distribution is 16. Find $m, n$ and variance. $X : 8, 12, 16, 20, 24$ $P(X) : 1/8  m  n  1/4  1/12$		
D	Evaluate the Fourier coefficients $a_0$ and $a_n$ of $f(x) = \frac{1}{2}(\pi - x)$ in $(0, 2\pi)$ .		
E.	Find $L^{-1}\left(\log\left(1+\frac{a}{\epsilon}\right)\right)$ .		
F	The Regression lines of a sample are $x + 6y = 6$ and $3x + 2y = 10$ . Find the coefficient of correlation between x and y.		
Q3	Solve any Four out of Six 5 marks each		
A	Find the inverse Laplace transform of $\frac{s+29}{(s+4)(s^2+9)}$		
B	Calculate the value of rank correlation coefficient from the following data regarding marks of 6 students in Statistics and Mathematics in a test:  *Marks: Statistics** : 40, 42, 45, 35, 36, 39  *Marks: Mathematics** : 46, 43, 44, 39, 40, 43		
	By using Laplace transform, prove that $\int_{0}^{\infty} e^{-t} \cdot \frac{\sin^{2} t}{t} dt = \frac{1}{4} \log 5$		

D	Evaluate the Fourier coefficients $a_0$ and $b_3$ of $f(x) = x$ in $(0, 2\pi)$ .							
Е	Show that the function, $f(z) = \sinh z$ is analytic and find $f'(z)$ in terms of z.							
F	The probability density function of a random variable X is							
	X (	0 1	2	3	4	5	6 8888888888888888888888888888888888888	
	P(X=x)   1	k 3k	5k	7k	9k	11k	13k	
	Find P(X<4),	P(3 <x< th=""><th>≤ 6).</th><th></th><th></th><th>•</th><th><u> </u></th></x<>	≤ 6).			•	<u> </u>	
Q4	Solve any Fo	ur out	of Six				5 marks each	
A	Find the Four	ier seri	es for .	f(x) in	n (0,21	7)		
		Find the Fourier series for $f(x)$ in $(0,2\pi)$ $f(x) = \begin{cases} x, & 0 < x \le \pi \\ 2\pi - x, & \pi \le x < 2\pi \end{cases}$ where						
В	Using convolution theorem, find the inverse Laplace transform of $(s-2)^4(s+3)$							
С	State true or false with justification. "If two lines of regression are $x+3y-5=0$ and $4x+3y-8=0$ , then the correlation coefficient is $+0.5$ ".							
D		Find $L(t e^{-3t} \cos 2t \cos 3t)$						
Е	A continuous random variable has the following probability density function $f(x) = \begin{cases} \frac{x}{4} + k , 0 \le x \le 2 \\ 0, & elsewhere \end{cases}$ Evaluate k and $P(1 \le X \le 2)$							
F	From the follower X an X 18 20	llowing dY. 34 5	data  2   12 8   46	calcul	ate Ka	arl Pea	arson's coefficient of correlation (r)	

# **University of Mumbai Examination Summer 2022**

Program: Computer Engineering Curriculum Scheme: Rev2019 Examination: SE Semester III

Course Code: CSC302 and Course Name: Discrete Structures & Graph Theory

Time: 2 hours 30 minutes Max. Marks: 80

	Choose the correct option for following questions. All the Questions are
Q1.	compulsory and carry equal marks
1.	Let the set A is $\{1, 2, 3\}$ and B is $\{2, 3, 4\}$ . Then the set $A - B$ is
Option A:	{1, -4}
Option B:	$\{1, 2, 3\}$
Option C:	<b>\{1\}</b>
Option D:	{2, 3}
2.	Let R be a relation on the set A of positive integers. Determine the property of
	relation R, if $(x, y) \in R$ where $R=\{(x,y) \mid xy \ge 1\}$
Option A:	Anti symmetric
Option B:	Transitive
Option C:	Symmetric
Option D:	Equivalence relation
3.	The statement ( $\sim Q \leftrightarrow R$ ) $\land \sim R$ is true when?
Option A:	O: True R: False
Option B:	O:True R:True
Option C:	Q: False R:True
Option D:	Q: False R: False
1	Q. Tabb Id Tabb
4.	How many two-digit numbers can be made from the digits 1 to 9 if repetition is allowed?
Option A:	9
Option B:	18
Option C:	81
Option D:	99
5.	Let $P(x)$ denote the statement " $x > 5$ ." Which of these have truth value true?
Option A:	P(0)
Option B:	P (1)
Option C:	P(2)
Option D:	P (9)
6.	How many binary relations are there on a set S with 5 distinct elements?
Option A:	$2^5$
Option B:	$2^{25}$

Option C:	$2^{10}$
Option D:	$2^{15}$
7.	The inverse of function $f(x) = x^3 + 2$ is
Option A:	$f^{-1}(y) = (y-2)^{1/2}$ $f^{-1}(y) = (y)^{1/3}$ $f^{-1}(y) = (y-2)^{1/3}$
Option B:	$f^{-1}(y) = (y)^{1/3}$
Option C:	$f^{-1}(y) = (y-2)^{1/3}$
Option D:	$f^{-1}(y) = (y-2)$
8.	When is a graph said to be bipartite?
Option A:	If it can be divided into two independent sets A and B such that each edge connects a
	vertex from to A to B
Option B:	If the graph is disconnected
Option C:	If the graph has at least n/2 vertices whose degree is greater than n/2
Option D:	If the graph is connected and it has odd number of vertices
9.	An algebraic structure is called a semigroup.
Option A:	(Q, +, *)
Option B:	(P, *)
Option C:	(P, *, +)
Option D:	(+, *)
10.	Condition for monoid is
Option A:	(a+e)=a
Option B:	$(a^*e)=(a+e)$
Option C:	$a=(a^*(a+e)$
Option D:	(a*e)=(e*a)=a
<u>.</u>	10 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0

Q2 (20 Marks Each)		
A	Solve any Two 5 marks each	ch
i.	Prove that $8^n$ - $3^n$ is a multiple of 5 by mathematical induction, $n \ge 1$	
ii.	What is a distributed lattice? Draw the hasse diagram of $D_{1001}$ . Whether it is a distributive lattice? Find the inverses of all elements of $D_{1001}$ .	
iii.	Determine the Eulerian and Hamiltonian path, if exists, in the following graphs:  a  b  b	
В	Solve any One 10 marks each	ch

i.	What is a transitive closure? Find the transitive closure of R using Warshall's	1×
	algorithm where $A = \{a, b, c, d, e, f\} \& R = \{(a, b), (b, c), (c, e), (e, f), (e, b)\}$	0,0
ii.	Let $f(x) = x + 2$ , $g(x) = x - 2$ and $h(x) = 3x$ for all $x \in R$ . (R is the set of real number).	9
	Find i) $f \circ g \circ h$ ii) $h \circ g \circ f$ iii) $f \circ f \circ f$	0
		b

	~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~						
Q3							
(20							
Marks							
Each)							
A	Solve any Two 5 marks each						
i.	Let R be the following equivalence relation on the set $A = \{1, 2, 3, 4, 5, 6\}$ :						
	$R = \{(1, 1), (1,5), (2, 2), (2,3), (2,6), (3,2), (3,3), (3,6), (4,4), (5,1), (5,5), (6,2), (6,3), (6,3), (6,4), (6,5), (6,2), (6,3), (6,4), (6,4), (6,5), (6,4), (6,5), $						
	$(6,6)$ }						
	Find the partitions of A induced by R, i.e., find the equivalence classes of R.						
ii.	Find truth table for the following expression & determine whether it is a tautology:						
	$(^{P} \land (Q \land R)) \lor (Q \land R) \lor (P \land R) \leftrightarrow R$						
iii.	In an auditorium, the chairs are to be numbered with an alphabet followed by a						
	positive integer not exceeding 60. Find the maximum no. of chairs that can be placed						
	in the auditorium.						
_							
В	Solve any One 10 marks each						
i.	Solve any One 10 marks each  Let $(x1 \land x2) \lor (x1 \land x3) \lor (x2 \land x3)$ be the Boolean expression. Write E $(x1, x2, x3)$						
	v v						
i.	Let (x1 Λ x2) V (x1 Λ x3) V (x2 Λ x3) be the Boolean expression. Write E (x1, x2, x3) in a Disjunctive & Conjunctive Normal Form.						
	Let (x1 \Lambda x2) V (x1 \Lambda x3) V (x2 \Lambda x3) be the Boolean expression. Write E (x1, x2, x3) in a Disjunctive & Conjunctive Normal Form.  Define minimum hamming distance. Find the code words generated by the parity						
i.	Let (x1 Λ x2) V (x1 Λ x3) V (x2 Λ x3) be the Boolean expression. Write E (x1, x2, x3) in a Disjunctive & Conjunctive Normal Form.						
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i.	Let (x1 \Lambda x2) V (x1 \Lambda x3) V (x2 \Lambda x3) be the Boolean expression. Write E (x1, x2, x3) in a Disjunctive & Conjunctive Normal Form.  Define minimum hamming distance. Find the code words generated by the parity check matrix H given below.						
i.	Let (x1 $\wedge$ x2) V (x1 $\wedge$ x3) V (x2 $\wedge$ x3) be the Boolean expression. Write E (x1, x2, x3) in a Disjunctive & Conjunctive Normal Form.  Define minimum hamming distance. Find the code words generated by the parity check matrix H given below. $ \begin{vmatrix} 1 & 0 & 1 \\ 1 & 1 & 0 \end{vmatrix} $						
i.	Let (x1 $\wedge$ x2) V (x1 $\wedge$ x3) V (x2 $\wedge$ x3) be the Boolean expression. Write E (x1, x2, x3) in a Disjunctive & Conjunctive Normal Form.  Define minimum hamming distance. Find the code words generated by the parity check matrix H given below. $H = \begin{bmatrix} 1 & 0 & 1 \\ 1 & 1 & 0 \\ 0 & 1 & 1 \end{bmatrix}$						
i.	Let (x1 $\wedge$ x2) V (x1 $\wedge$ x3) V (x2 $\wedge$ x3) be the Boolean expression. Write E (x1, x2, x3) in a Disjunctive & Conjunctive Normal Form.  Define minimum hamming distance. Find the code words generated by the parity check matrix H given below. $H = \begin{bmatrix} 1 & 0 & 1 \\ 1 & 1 & 0 \\ 0 & 1 & 1 \\ 1 & 0 & 0 \end{bmatrix}$						
i.	Let (x1 $\wedge$ x2) V (x1 $\wedge$ x3) V (x2 $\wedge$ x3) be the Boolean expression. Write E (x1, x2, x3) in a Disjunctive & Conjunctive Normal Form.  Define minimum hamming distance. Find the code words generated by the parity check matrix H given below. $H = \begin{bmatrix} 1 & 0 & 1 \\ 1 & 1 & 0 \\ 0 & 1 & 1 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \end{bmatrix}$						
i.	Let (x1 $\wedge$ x2) V (x1 $\wedge$ x3) V (x2 $\wedge$ x3) be the Boolean expression. Write E (x1, x2, x3) in a Disjunctive & Conjunctive Normal Form.  Define minimum hamming distance. Find the code words generated by the parity check matrix H given below. $H = \begin{bmatrix} 1 & 0 & 1 \\ 1 & 1 & 0 \\ 0 & 1 & 1 \\ 1 & 0 & 0 \end{bmatrix}$						
i.	Let (x1 $\wedge$ x2) V (x1 $\wedge$ x3) V (x2 $\wedge$ x3) be the Boolean expression. Write E (x1, x2, x3) in a Disjunctive & Conjunctive Normal Form.  Define minimum hamming distance. Find the code words generated by the parity check matrix H given below. $H = \begin{bmatrix} 1 & 0 & 1 \\ 1 & 1 & 0 \\ 0 & 1 & 1 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \end{bmatrix}$						

Q4 (20 Marks Each)	
A	Solve any Two 5 marks each
i.	If 5 points are taken in a square of side 2 units, show that at least 2 of them are no more than $\sqrt{2}$ units apart.
ii.	Consider (3,8) encoding function e : $B^3 \rightarrow B^8$ defined by e(000)= 00000000 e(100)= 10100100  e(001)= 10111000 e(101)= 10001001  e(010)= 00101101 e(110) =00011100

iii.	e(011)= 10010101 e(111) = 00110001  and let d be the (8,3) maximum likelihood decoding function associated with e. How many errors can (e, d) correct?  Find the generating functions for the following sequences:
	a. 0, 0, 0, 1, 2, 3, 4, 5, 6, 7, b. 6, -6, 6, -6, 6, -6,
В	Solve any One 10 marks each
i.	Define the term bijective function.
	Show that the mapping f: $R \rightarrow R$ given by i) $f(x) = 4x-3$ & ii) $f(x) = 4x+7$ is bijective.
ii.	Explain the following terms with suitable example:
	a) Incidence matrix
	b) Hamiltonian path
	c) Partition set
	d) Principle of inclusion & exclusion
	e) Commutative ring

**Examinations Summer 2022** 

Time: 2 hour 30 minutes

Q1.	Choose the correct option for following questions. All the Questions are compulsory and carry equal marks		
1.	Consider the following definition in c programming language. Which of the following c code is used to create a new node of circular linked list?  struct node		
	int data;		
	struct node *next;		
	Struct flode fliext,		
	typedef struct node NODE;		
	NODE *ptr;		
Option A:	ptr = (NODE*)malloc(NODE);		
Option B:	ptr = (NODE*)malloc(sizeof(NODE*));		
Option C:	ptr = (NODE)malloc(sizeof(NODE));		
Option D:	ptr = (NODE*)malloc(sizeof(NODE));		
2.	Dinary sourch can be newformed if data items are stored in an		
Option A:	Binary search can be performed, if data items are stored in an Unordered array		
Option B:	Ordered array		
Option C:	Unordered linked list		
Option C:	Ordered linked list		
Option D.	Ordered filliked list		
3.	The equivalent postfix expression corresponding to the infix expression (A+B)*(D/C) is		
Option A:	ABDC/*+		
Option B:	AB+D*C/		
Option C:	AB+DC/*		
Option D:	ABD*+C/		
29.00			
4.5	In the Breadth-First Search traversal of a graph, how many times does a node get visited?		
Option A:	Once		
Option B:	Twice		
Option C:	Equivalent to number of indegree of the node		
Option D:	Equivalent to number of outdegree of the node		
	Linked lists are preferred to other data structures when		
Option A:	The elements are in ascending or descending order.		
Option B:	No deletion of elements needs to be performed.		
Option C:	The number of elements in the list is known beforehand.		
Option D:	Insertions and deletions are frequent in a list of unknown sizes.		
6. X	The number of null links in a binary tree with n nodes is		
Option A:			
Option B:			
Option C:	2n		
Option D:			
& 3 & 5 \\ \\ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \	In an AVL tree, difference of height in left sub-tree and right-tree for every node is		
Option A:	Zero		

Max. Marks: 80

Option B:	One
Option C:	Atmost one
Option D:	Atleast one
8.	Suppose a queue is implemented by a circular array QUEUE[09]. The number of
	elements in the queue, if FRONT = 8 and REAR = 3, will be
Option A:	
Option B:	
Option C:	
Option D:	
9.	is used in implementation of recursion.
Option A:	Array
Option B:	Stack Stack
Option C:	Queue
Option D:	Tree
10.	In an almost complete binary tree with 13 nodes, the number of leaves will be
Option A:	5
Option B:	
Option C:	7
Option D:	8 888888888888888888888

Q2	Solve any Four out of Six 5 marks each	
A	Explain different operations that can be performed on data structures.	
В	Write a function to delete the last node of the circular linked list.	
C	Show the steps for finding the topological sorting of the below graph.   C  D  E	
DOG	Write an algorithm to evaluate a postfix expression.	
De Ferre	Write short note on Priority Queue.	
F	Construct Binary Search Tree for the following list of elements 45 28 34 63 87 76 31 11 50 17	

Q3	Solve any Two Questions out of Three 10	marks each
A	Show the result of inserting 16, 18, 5, 19, 11, 10, 13, 21, 8, an initially empty AVL tree.	14 one at a time into
B	A hash table of size 10 uses linear probing to resolve collisions. The key value integers and the hash function used is key%10. Draw the table that results inserting in the given order the following values: 28, 55, 71, 38, 67, 11, 10, 90, 44, 9	
P. C.C.	Write a program to implement Circular queue using an array.	

Q4	Solve any Two Questions out of Three 10 marks each		
A	Write a program to convert the given decimal number to a binary number using stack data structure.		
В	Write a program to perform the following operations on a singly linked list  i. Insert a new node at the end of the list  ii. Delete a node from the beginning of the list  iii. Search for a given node  iv. Display the list		
С	Construct an expression tree for the expression $(a + b/c) + ((d*e+f)/g)$ . Give the outputs when you apply preorder and postorder traversals.		

### **University of Mumbai**

#### Examination 2022 under cluster \_\_ (Lead College: \_\_\_\_\_)

#### **Examinations Commencing from**

Program: Bachelor of Engineering in Computer Engineering

Curriculum Scheme: Rev2019 Examination: DSE Semester III

Course Code: CSC304 and Course Name: Digital Logic & Computer Architecture

Time: 2 hour Max. Marks; 80

Q1.	Q1. Choose the correct option for following questions. All the Questions compulsory and carry equal marks. (2 marks each, total 20 marks)		
1.	Let, $x_1 \oplus x_2 \oplus x_3 \oplus x_4 = 0$ , where $x_1, x_2, x_3, x_4$ are Boolean variables, and $\oplus$ is the XOR Operator. Which one of the following must always is True?		
Option A:	$x_1x_2x_3x_4 = 0$		
Option B:	$x_1x_3 + x_2 = 0$		
Option C:	$\overline{x_1} \oplus \overline{x_3} = \overline{x_2} \oplus \overline{x_4}$		
Option D:	$x_1 + x_2 + x_3 + x_4 = 0$		
2.	Identify the logic gate based on given equivalent circuit.  AND Gate  AB  B  AB		
	NOT Gate AND Gate		
Option A:	Ex-NOR gate		
Option B:	Ex-OR gate		
Option C:	NAND gate		
Option D:	NOR gate		
3.000	The addition of -37 and +18 integer numbers using the 2's complement method, is		
Option A:	$(11101101)_2$		
Option B:	$(10101101)_2$		
Option C:	(11111101)2		
Option D:	$(11100101)_2$		
4.	Following microinstruction sequence is denote which cycle in the instructional cycle.  PCout, MARin, Read, Slect4, Add, Zin Zout, PCin, Yin, WMFC MDRout, IRin		
Option A:	Instruction fetch		
Option B:	Instruction decode		
Option C:	Address calculation of Operand		
Option D:	Instruction execution		
5.78	SDRAM stands for and DDR stands for		

Option A:	Synchronous dynamic Random-Access Memory, Double Data rate		
Option B:	Synchronous dynamic Read/Write Access Memory, Double Data rate		
Option C:	Static Dynamic Random-Access Memory, Dynamic Data rate		
Option D:	Static Dynamic Random-Access Memory, Double Data rate		
<u> </u>			
6.	Suppose that a bus has 16 data lines and requires 4 cycles of 250 nsecs each to transfer data. The bandwidth of this bus would be 2 megabytes/sec. If the cycle time of the bus was reduced to 125 n secs and the number of cycles required for transfer stayed the same. What would the bandwidth of the bus?		
Option A:	1 Megabyte/sec		
Option B:	2 Megabytes/sec		
Option C:	4 Megabytes/sec		
Option D:	8 Megabytes/sec		
7.	Which of the following statement is false with respect to instruction pipeline?		
Option A:	Pipelining can increase the throughput of a system.		
Option B:	Pipelining partitions the system into multiple independent stages with added buffers between the stages.		
Option C:	Pipelining reduce the latency of each individual instruction.		
Option D:	Unbalanced lengths of pipeline stages reduces overall speedup.		
8.	Select true statement from the following,		
Option A:	USB is a parallel mode of transmission of data and this enables for the fast speeds		
-	of data transfers.		
Option B:	In USB the devices can communicate with each other.		
Option C:	The type/s of packets sent by the USB is/are Data.		
Option D:	When the USB is connected to a system, its root hub is connected to the Processor BUS.		
9.	32-bit PCI expansion slots on a motherboard provides speed		
Option A:	Half-duplex: 33 MB/s (32-bit at 33 MHz – the standard configuration) 266 MB/s		
200°	(32-bit at 66 MHz) 66 MB/s (64-bit at 33 MHz) 33 MB/s (64-bit at 66 MHz)		
Option B:	Half-duplex: 133 MB/s (32-bit at 33 MHz – the standard configuration) 266 MB/s (32-bit at 66 MHz) 266 MB/s (64-bit at 33 MHz) 533 MB/s (64-bit at 66 MHz)		
Option C:	Half-duplex: 166 MB/s (32-bit at 33 MHz – the standard configuration) 266 MB/s (32-bit at 66 MHz) 266 MB/s (64-bit at 33 MHz) 566 MB/s (64-bit at 66 MHz)		
Option D:	Half-duplex: 128 MB/s (32-bit at 33 MHz – the standard configuration) 266 MB/s (32-bit at 66 MHz) 266 MB/s (64-bit at 33 MHz) 566 MB/s (64-bit at 66 MHz)		
10.	In three-address instruction, the program to evaluate $X = (A + B) \cdot (C + D)$ is		
37 6 3 5 C	ADD R1, A, B $//$ R1 $\rightarrow$ M[A] + M[B] $//$		
200 0 10 10 10 10 10 10 10 10 10 10 10 10	// M[X] symbolizes the memory word located at address X.//		
$MUL X, R1, R1 // M[X] \leftarrow R1 * R2 //$			
	Missing 2 <sup>nd</sup> statement is		
Option A:	ADD R1, C, D $//$ R1 $\rightarrow$ M[C] + M[D] $//$		
Option B:	ADD R2, C, D $//$ R2 $\rightarrow$ M[C] + M[D] $//$		
Option C:	ADD R3, C, D $//$ R3 $\rightarrow$ M[C] + M[D] $//$		
Option D:	ADD R4, C, D $//$ R4 $\rightarrow$ M[C] + M[D] $//$		

Q.2	Solve a	any Four out of Six.				8 75 8 2 8 9 0 V
	A)	Compare the terms Computer of	organizatio	n with Computer an	chitecture.	05
	B)	Perform the following –  i) Convert (340) <sub>10</sub> to 6 ii) Convert Hexadecim iii) Hexadecimal to bin	nal to decin	nal: DADA (2 mark	(A) (A) (A) (A) (A) (A)	05
	<b>C)</b>	Design a full adder using half a	adder and a	dditional gates. Giv	ve its truth table.	05
	D)	Give the advantages and disa state-table method and Delay-e			rol unit design using	05
	E)	What is Cache Memory? A 32 8kB of cache memory. The contract Each line size is 16 bytes. Shoorganization.	omputer fol	llows four-way set	associative mapping.	
	F)	What is Amdahl's Law? Let a $f_E = 0.4$ ) to run 2.3 times faste $S$ ?	E ON CALL		( Ab' Ab ( )	
Q.3	Solve a	any Four out of Six.				
	<b>A)</b>	Multiply (10) <sub>10</sub> with (8) <sub>10</sub> using	g booths m	ultiplication algorit	hm.	05
	B)	Convert 39887.5625 to IEEE 64-bit Double precision floating point format.				05
	<b>C)</b>	Following diagram represents given numerical values calcula value for different addressing 1  PC = 200  R1 = 400  XR = 100  AC	te the effec	ctive address and co	ontent of AC register	05
		Sr. Addressing Mode no.  1 Direct address 2 Immediate Operand 3 Relative address 4 Indexed address 5 Register indirect		Effective address	Content of AC	

	D)	Write microprogram for instruction MOV A, B (copy the contents of Register B	05
		to Register A).	
	E)	Explain with suitable diagrams, why DRAM cell required refreshing in Computer	05
		System?	
	F)	Draw the neat block diagram for Flynn's classification.	05
Q.4	Solve	any Four out of Six.	
	A)	Draw basic organization of computer and explain its block level functional units.	05
	B)	Using step by step restore division algorithmic procedure solve the following: 11 (Dividend) / 3 (Divisor).	05
	C)	Draw logic circuit diagram Master-Slave J-K flip-flop with PRESET and CLEAR inputs using NAND gates. Give its truth table and logic symbol diagram.	05
	D)	Draw and explain functioning of the microprogrammed control unit.	05
	E)	Write a short note: Interleaved and Associative memory.	05
	F)	Enlist different types of bus arbitration schemes and explain any one.	05

#### **University of Mumbai**

#### **Examinations Summer 2022**

Time: 2 hour 30 minutes Max. Marks: 80

Q1.	Choose the correct option for following questions. All the Questions are		
Q1.	compulsory and carry equal marks		
1.	The following figure is representing transformation		
	y t y t		
	7588868		
	(a) Original object (b) New Object		
Option A:	X- Shear		
Option B:	Y- Shear		
Option C:	Translation		
Option D:	Reflection		
2.	uses beam penetration technology.		
Option A:	Raster Scan Display		
Option B:	Random Scan Display		
Option C:	Printer State Stat		
Option D:	Mouse		
2			
3.	The positive values of 'θ' gives		
Option A:	Counterclockwise Rotation		
Option B: Option C:	Clockwise Rotation		
Option C.	Shearing Transformation Reflection		
Option D.	Reflection		
4.5.3	DDA stands for		
Option A:	Digital Differential Algorithm		
Option B:	Digital Differential Analyzer		
Option C:	Data Differential Algorithm		
Option D:	Digital Data Algorithm  Digital Data Algorithm		
085.55	In mid-point ellipse drawing algorithm, the slope value at the boundary point of		
	region 1 and region 2 is		
Option A:			
Option B:			
Option C:			
Option D:	0.50 5 0 5 5 5 5		
5686			
6.	a. The function gives the color of specified pixel		
	b. The function draws the pixel with specified color		
Option A:	getpixel, putpixel		
Option B:	putpixel, getpixel		
Option C:	getpixel, getpixel		
Option D:	Putpixel, putpixel		

7.	The point P(x, y) is said to be inside or on the rectangular clipping boundary if it satisfies condition (where Xwmin, Ywmin, Xwmax, Ywmax represents coordinates of window boundaries)
Option A:	Xwmin <= x <= Xwmax
1	Ywmin <= y <= Ywmax
Option B:	Xwmin< x <xwmax< td=""></xwmax<>
-	Ywmin< y <ywmax< td=""></ywmax<>
Option C:	Xwmin > x <xwmax< td=""></xwmax<>
_	Ywmin > y < Ywmax
Option D:	Xwmin > x > Xwmax
	Ywmin > y > Ywmax
8.	When the 3D point (x, y, z) is reflected about the YZ plane then new coordinates
	of the point are given by
Option A:	(-x, -y, -z)
Option B:	
Option C:	(y, x, z)
Option D:	(-x, y, z)
9.	The process of extracting a portion of an image inside or outside a specified region is called
Option A:	Translation
Option B:	Shear Shear
Option C:	Clipping
Option D:	Reflection
	\$\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\
10.	Using, we can take view of an object from different directions and
	different distances
Option A:	Rotation
Option B:	Translation
Option C:	Scaling Section Sectin Section Section Section Section Section Section Section Section
Option D:	Projection

Q2. (20 Marks)		
(20 Marks) A	Solve any Two	5 marks each
i.	Write short note on	
	a. Character Animation	
	b. Facial Animation	
ii.	Differentiate between Bezier Curve and	d B-Spline curve.
iii.	Clip the following polygon P <sub>1</sub> P <sub>2</sub> P <sub>3</sub> P <sub>4</sub> P <sub>5</sub> clipping algorithm	P <sub>6</sub> using Weiler Atherton Polygon
	P1 P3 P5	Clipping Window
D		
<u>B</u>	Solve any One	10 marks each
i.	Find two dimensional transformation matrix, when point $p(x,y)$ is to be reflected about a line $y=mx+c$	
ii.	Explain scan line polygon fill algorithm	n with example.

Q3. (20 Marks)		
A	Solve any Two 5 marks each	
i.	Explain super sampling and pixel phasing antialiasing techniques with example	
ii.	Write short note on Rasterization and rendering	
iii.	Explain fractal geometry with example	
B	Solve any One 10 marks each	
	Obtain three-dimensional composite transformation matrix for rotation about an arbitrary axis.	
Sin	Clip the line segment using Cohen Sutnerland line clipping algorithm. The coordinates of the window boundaries are (xwmin, ywmin)=(4, 4) and (xwmax, ywmax)=(10, 8), the coordinates of the line segment are P1(5, 5) and P2(7,7)	

Q4.		\$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$	
(20 Marks)			
A	Solve any Two	5 marks each	
i.	What is homogeneous coordinate matrix representation? Write 3-dimensional homogeneous transformation matrix for		
	a. Translation,		
	b. Rotation about z axis		
	c. Scaling		
ii.	Explain viewing transformation pipeline		
iii.	Differentiate between parallel and perspective projection.		
В	Solve any One	10 marks each	
i.	Explain		
	a. Z buffer Algorithm		
	b. Area Subdivision method		
ii.	Rasterize the line segment using Bresenham's line drawing algorithm. The		
	endpoint coordinates of the line segment are (Xo,	$Y_0$ )=(9, 18) and ( $X_1$ , $Y_1$ ) =	
	(14, 22)		